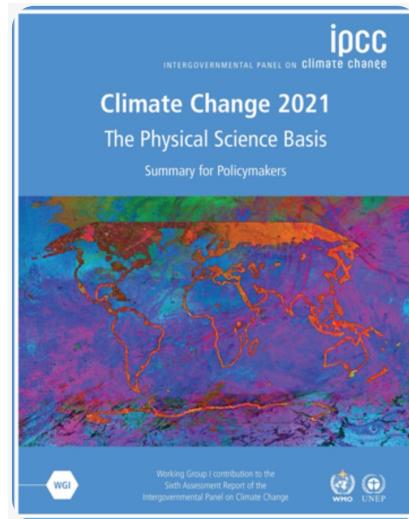
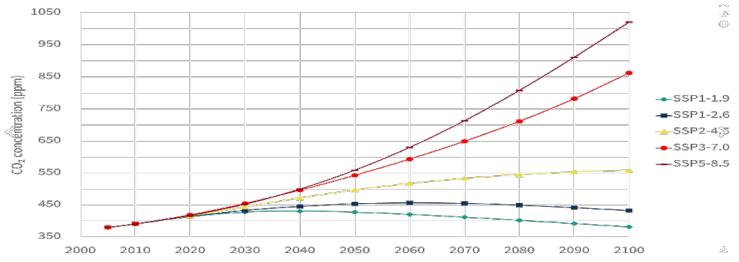




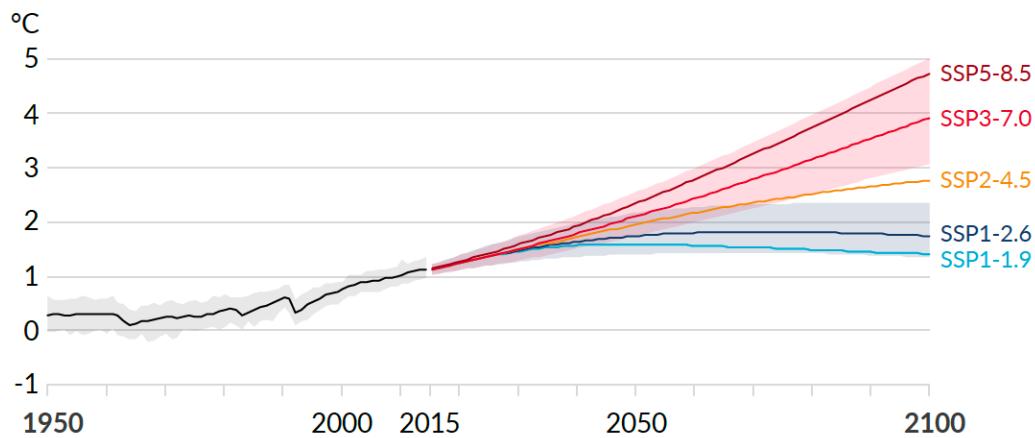
Tipping points in the Earth System

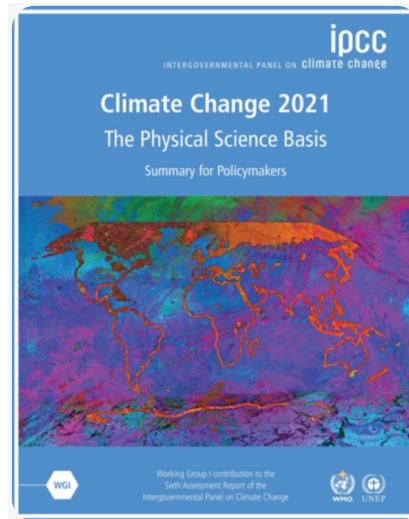
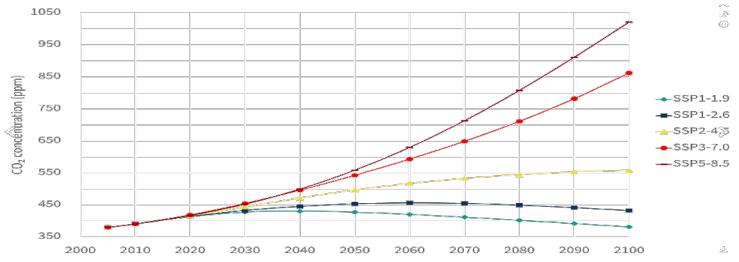
Climate Thursdays, SDU, Sept, 2023

Peter Ditlevsen, Niels Bohr Institute, University of Copenhagen

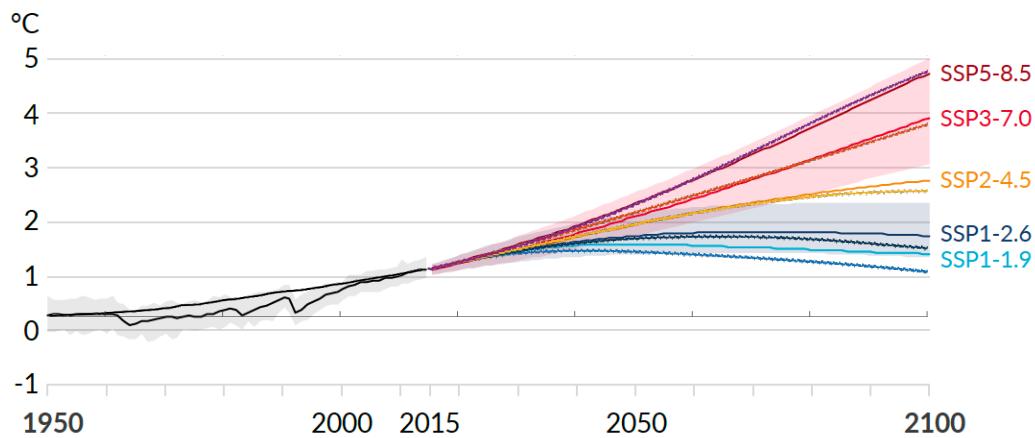


a) Global surface temperature change relative to 1850-1900





a) Global surface temperature change relative to 1850-1900



Climatic Endgame: Exploring catastrophic climate change scenarios

Luke Kemp  , Chi Xu  , Joanna Dpledge, Kristie L. Ebi  , Goodwin Gibbins, Timothy A. Kohler  , Johan Rockström, Marten Scheffer  , Hans Joachim Schellnhuber  , Will Steffen  , and Timothy M. Lenton    

Abstract

Prudent risk management requires consideration of bad-to-worst-case scenarios. Yet, for climate change, such potential futures are poorly understood. Could anthropogenic climate change result in worldwide societal collapse or even eventual human extinction?

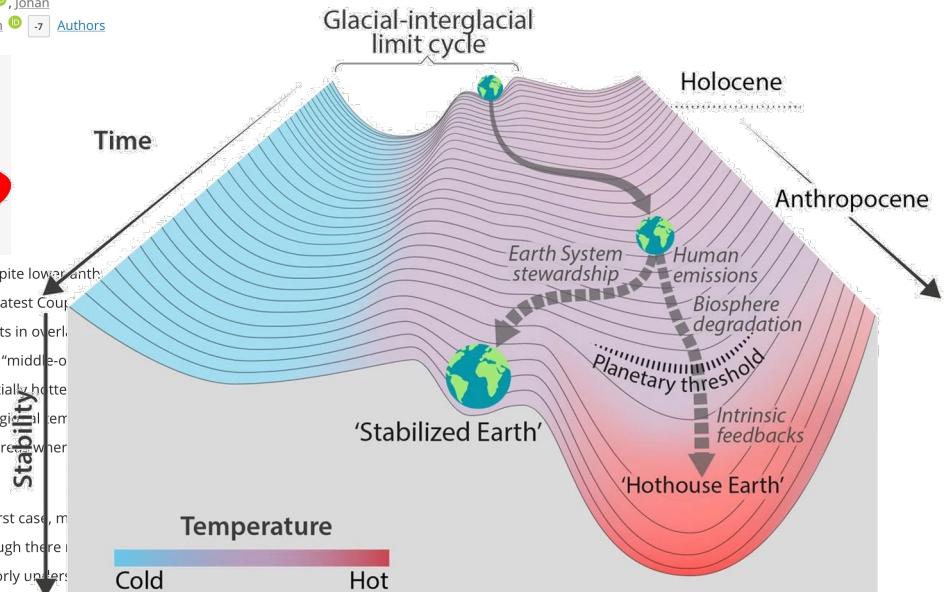
At present, this is a dangerously underexplored topic. Yet there are ample grounds to suspect that climate change could result in a global catastrophe. Analyzing the mechanisms for these extreme events is vital to inform policy. The potential for tipping points and higher concentrations despite lower anthropogenic emissions is evident in existing models. Variability among the latest Coupled Model Intercomparison Project Phase 6 (CMIP6) climate models results in overlying uncertainty. For example, the top (75th) quartile outcome of the "middle-of-the-road" Shared Socioeconomic Pathway 3-7.0, or SSP3-7.0 is substantially hotter than the bottom (25th) quartile of the highest emissions (SSP5-8.5) scenario. Regional temperature differences between models can exceed 5 °C to 6 °C, particularly in polar areas where such points can occur ([SI Appendix](#)).

There are even more uncertain feedbacks which, in a very worst case, might trigger an irreversible transition into a "Hothouse Earth" state ([21](#)) (although there are also feedbacks that help buffer the system). In particular, poorly understood feedbacks that help buffer the system might trigger sudden and severe global warming ([22](#)). Such effects remain underexplored and largely speculative ("unknown unknowns") but are still being discovered. For instance, recent simulations suggest that stratocumulus cloud decks might abruptly be lost at CO₂ concentrations that could be approached by the end of the century, causing an additional ~8 °C global warming ([23](#)). Large uncertainties about dangerous surprises are reasons to prioritize them rather than neglect them.

Trajectories of the Earth System in the Anthropocene

Will Steffen  , Johan Rockström, Katherine Richardson  ,  , and Hans Joachim Schellnhuber   

Affiliations

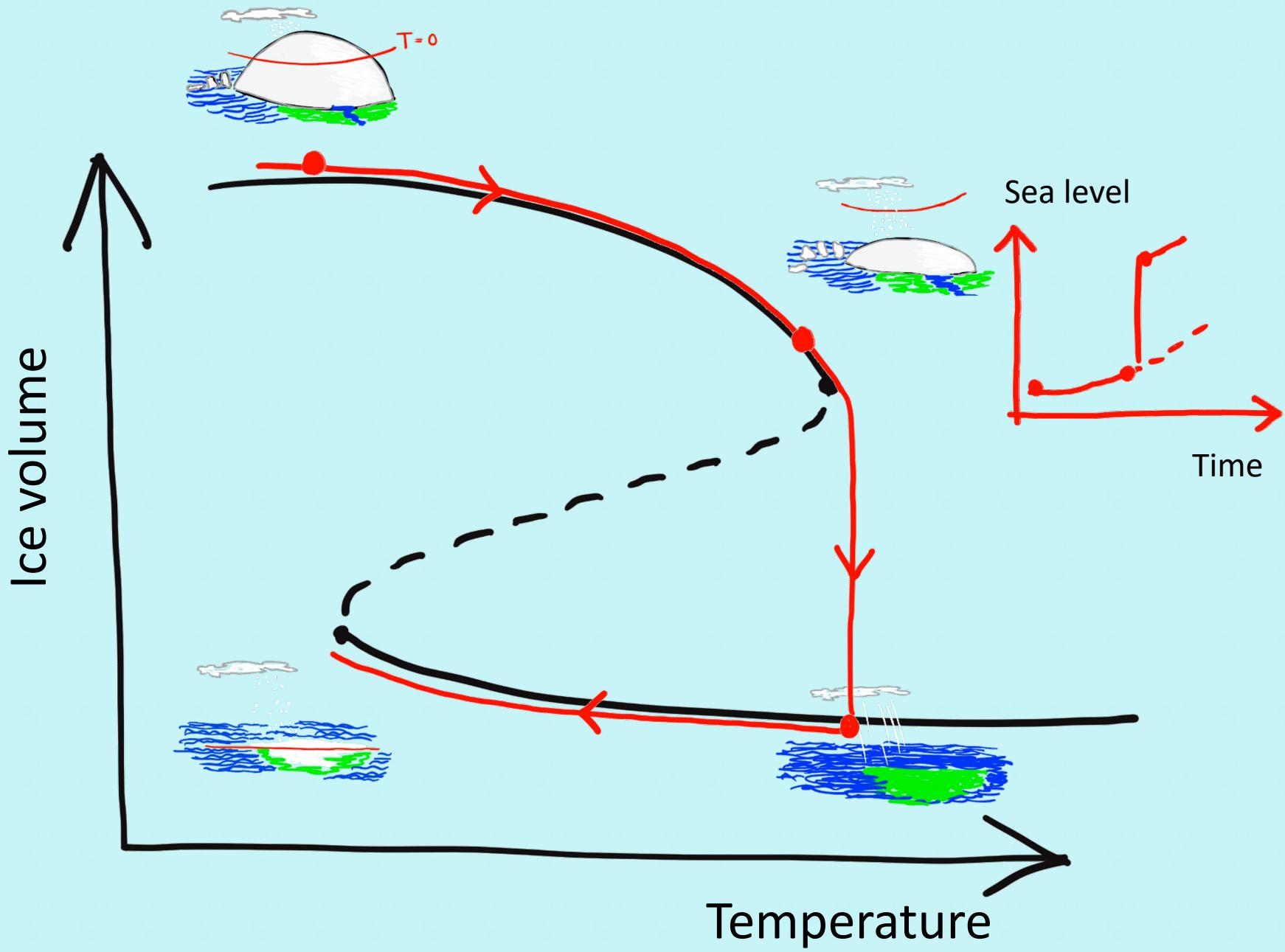


Tipping elements

Westermann-Maps

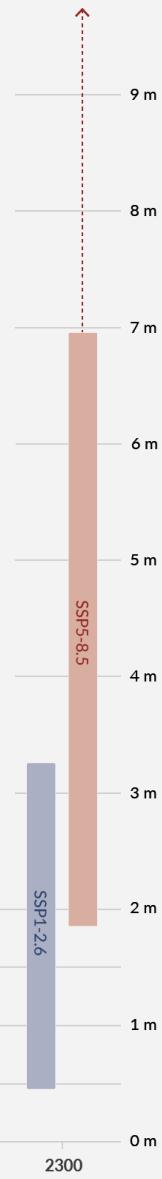
THE WORLD - PHYSICAL





(e) Global mean sea level change in 2300 relative to 1900

Sea level rise greater than 15 m cannot be ruled out with high emissions



(d) Global mean sea level change relative to 1900

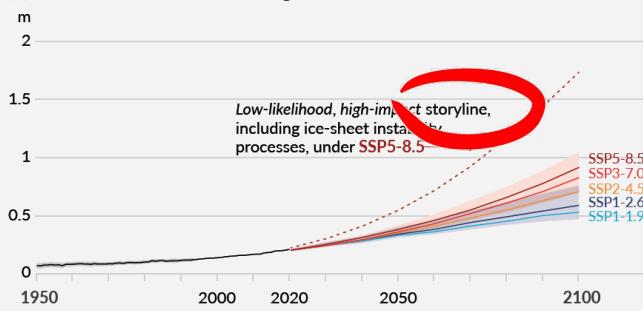
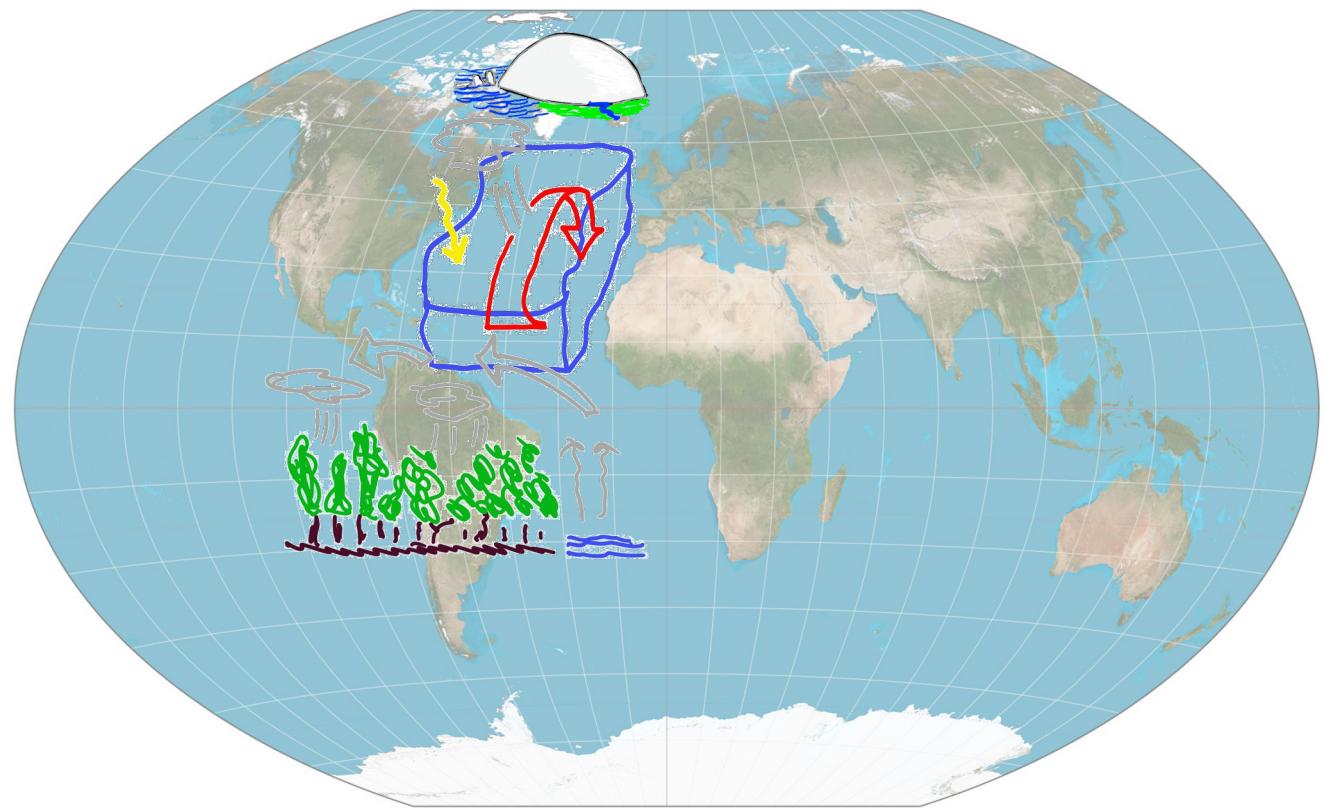
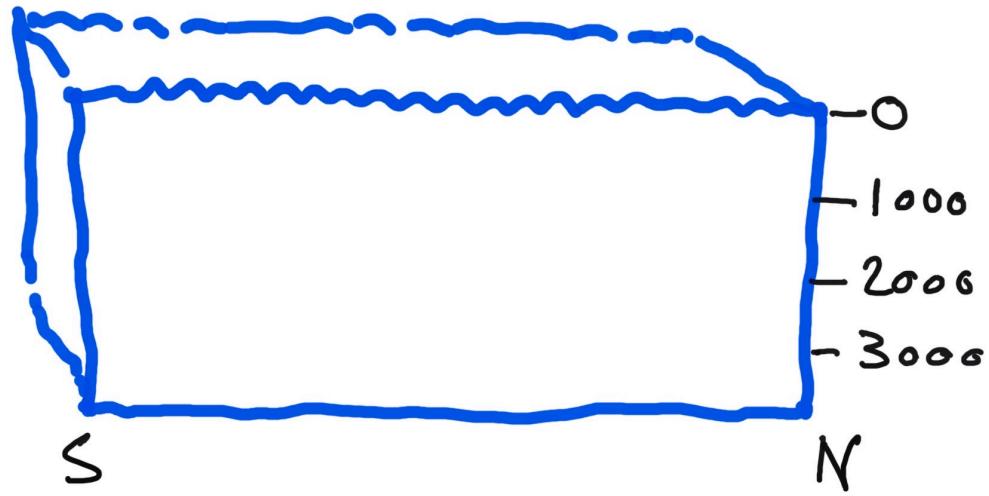
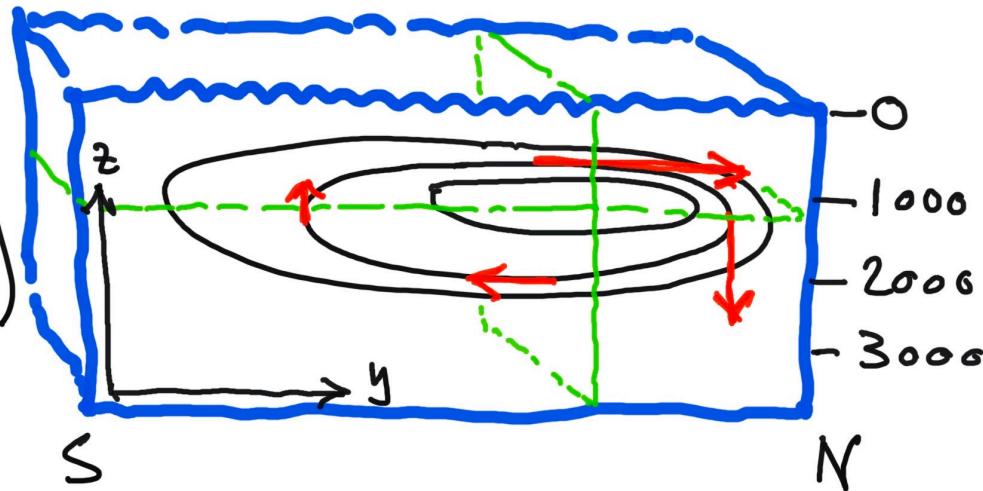


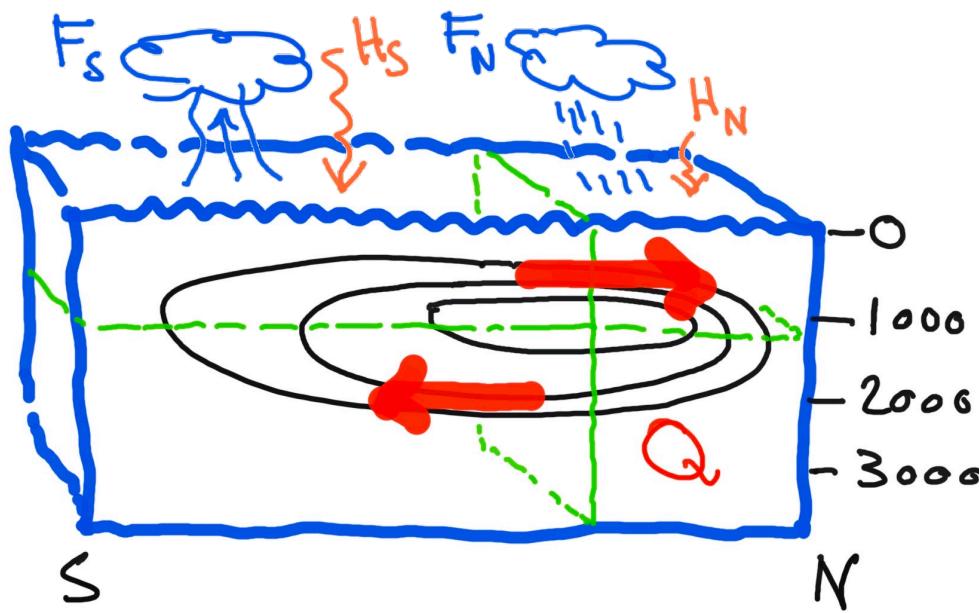
Figure SPM.8 | Selected indicators of global climate change under the five illustrative scenarios used in this Report



$$\nabla \Psi = \begin{pmatrix} \partial_y \Psi \\ \partial_z \Psi \end{pmatrix}$$

$$-\hat{\nabla} \Psi = \begin{pmatrix} -\partial_z \Psi \\ \partial_y \Psi \end{pmatrix} = \begin{pmatrix} v \\ w \end{pmatrix}$$





$$\kappa_T \dot{T}_N = Q(\Delta\varrho) (T_S - T_N) + H_N$$

$$\kappa_S \dot{S}_N = Q(\Delta\varrho) (S_S - S_N) - F_N$$

$$\kappa_T \dot{T}_S = Q(\Delta\varrho) (T_N - T_S) + H_S$$

$$\kappa_S \dot{S}_S = Q(\Delta\varrho) (S_N - S_S) - F_S$$

density:

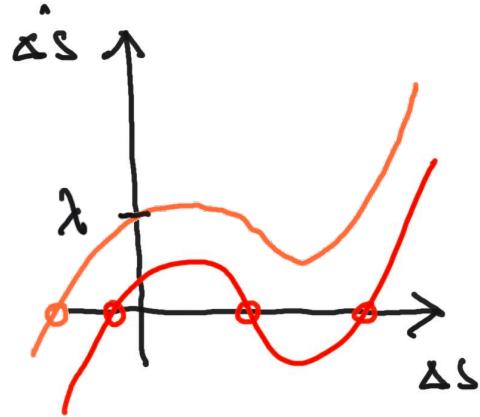
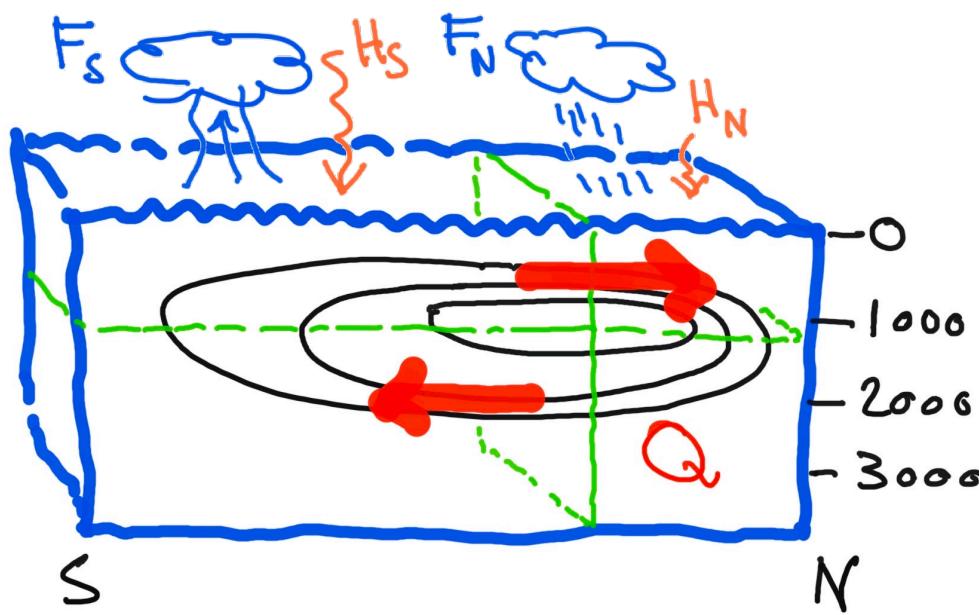
$$g(T, S) = g_0 - \alpha(T - T_0) + f(S - S_0)$$

$$\Delta\varrho = -\alpha \Delta T + \beta \Delta S$$

$$\Delta T = T_S - T_N$$

$$\Delta S = S_S - S_N$$

$$Q(\Delta\varrho) \sim (\Delta\varrho)^2$$



density:

$$g(T, S) = g_0 - \alpha(T - T_0) + \beta(S - S_0)$$

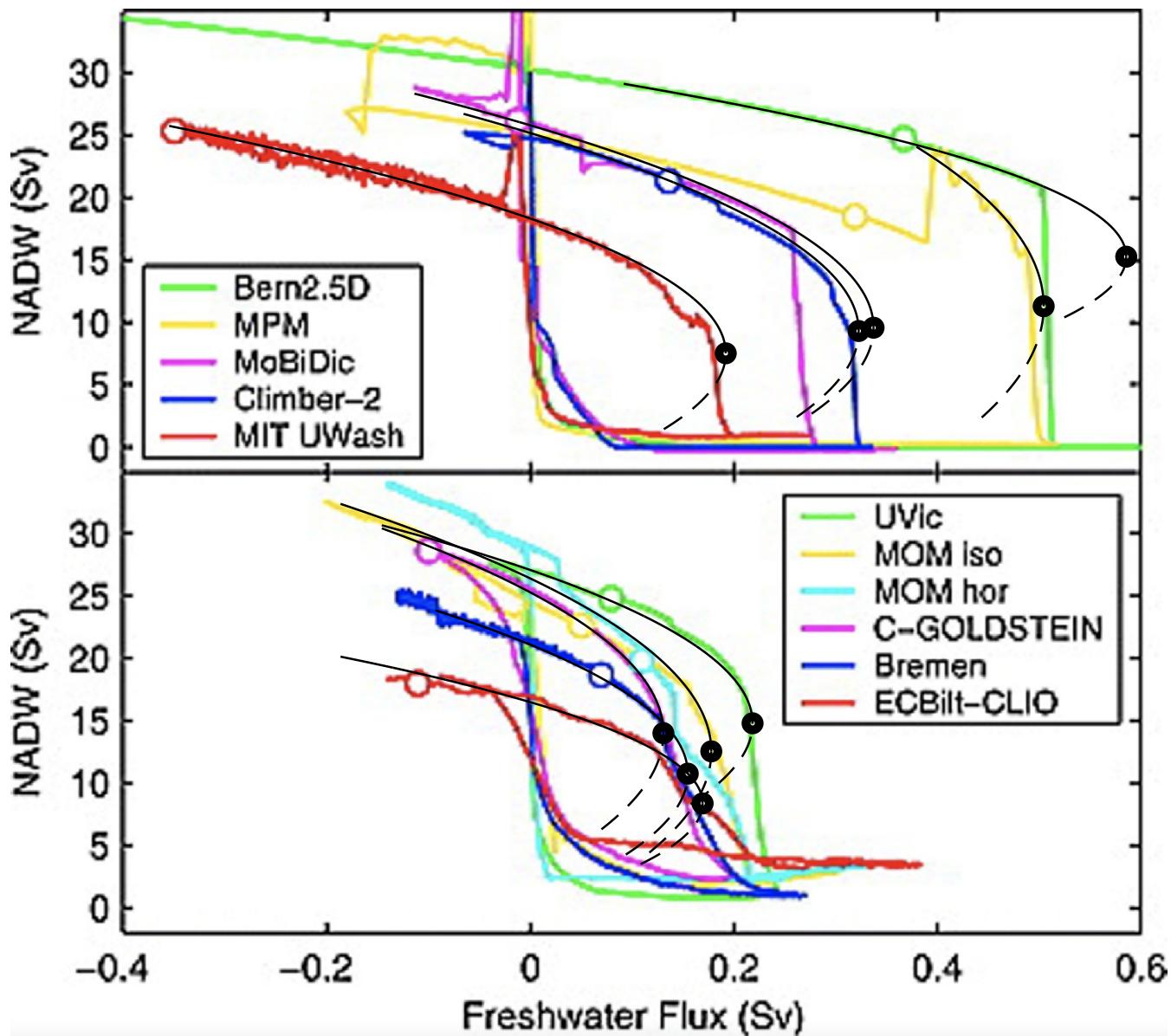
$$\Delta g = -\alpha \Delta T + \beta \Delta S$$

$$\Delta T = T_S - T_N$$

$$\Delta S = S_S - S_N$$

$$Q(\Delta g) \sim (\Delta g)^2$$

$$\dot{\Delta s} = -A \Delta s^3 + B \Delta s + \lambda$$



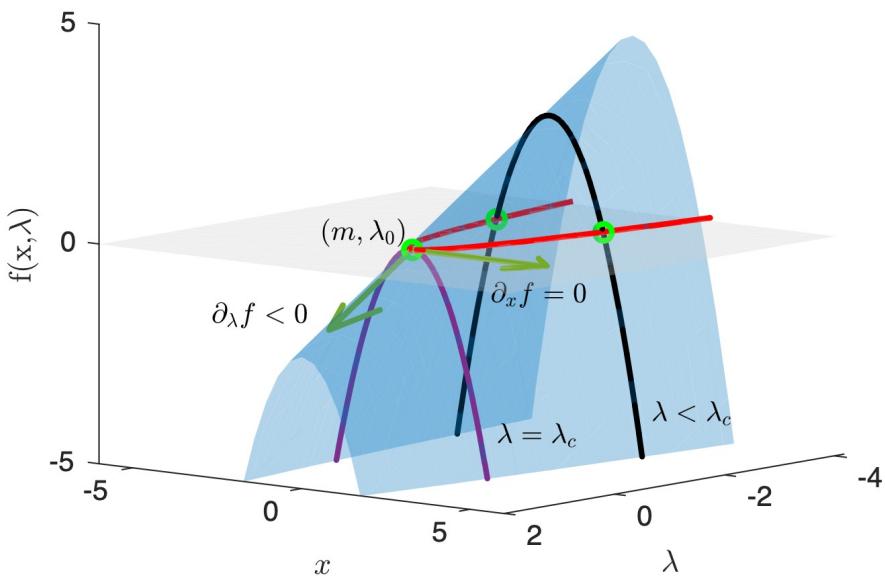
$$dx = f(x, \lambda) dt + \sigma dB$$

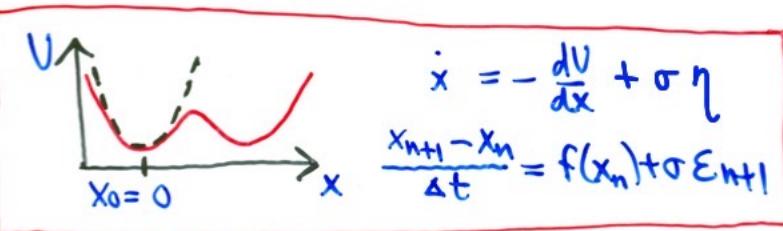
$$dx = -(x^2 + \lambda) dt + \sigma dB$$

$$x_0 = \sqrt{-\lambda}$$

$$dx = -2\sqrt{-\lambda} x dt + \sigma dB$$

$$\alpha = 2\sqrt{-\lambda}$$





Linear Approximation: $f(x) \approx f(x_0) - \alpha(x - x_0) = -\alpha x$

$$-\alpha = \frac{df}{dx}|_{x_0} = -\frac{d^2V}{dx^2}|_{x_0}$$

$$x_{n+1} = (1 - \alpha \Delta t)x_n + \sigma \varepsilon_{n+1} \quad (\text{AR(1) process})$$

Variance & Noise intensity

$$\begin{aligned} \langle x_{n+1}^2 \rangle &= \langle ((1 - \alpha \Delta t)x_n + \sigma \varepsilon_{n+1})^2 \rangle \\ &= (1 - \alpha \Delta t)^2 \langle x_n^2 \rangle + \sigma^2 \langle \varepsilon_{n+1}^2 \rangle + 2(1 - \alpha \Delta t)\sigma \langle x_n \varepsilon_{n+1} \rangle \\ &= \langle x_n^2 \rangle - (2\alpha \langle x_n^2 \rangle - \sigma^2) \Delta t + \alpha^2 \Delta t^2 \langle x_n^2 \rangle \\ \Rightarrow \langle x_n^2 \rangle &= \frac{\sigma^2}{2\alpha} \end{aligned}$$

Fluctuation-Dissipation theorem

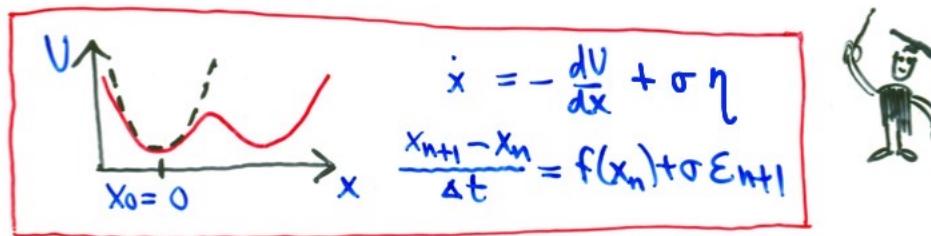
Autocorrelation

$$c(1) = \langle x_{n+1} x_n \rangle = \langle ((1 - \alpha \Delta t)x_n + \sigma \varepsilon_{n+1}) x_n \rangle$$

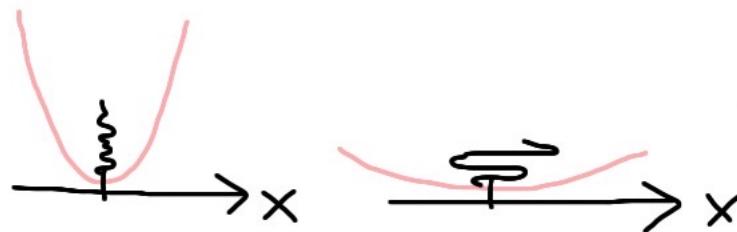
$$= (1 - \alpha \Delta t) \langle x_n^2 \rangle = (1 - \alpha \Delta t) c(0)$$

$$c(h) = \langle x_{n+h} x_n \rangle = \dots = (1 - \alpha \Delta t)^h c(0)$$

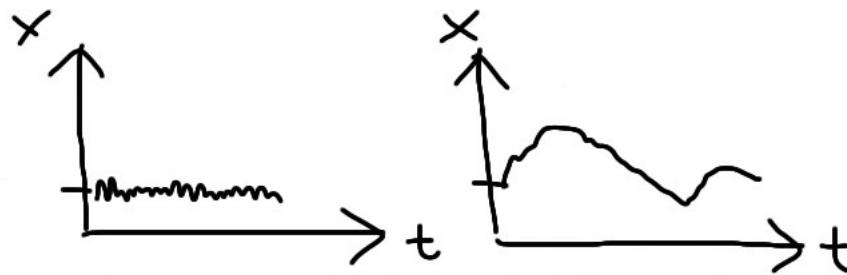
$$\Rightarrow c(t) = c(0) e^{-\alpha |t|} = \langle x^2 \rangle e^{-\alpha |t|}$$



α large α small



$$\langle x_n^2 \rangle = \frac{\sigma^2}{2\alpha}$$



$$\langle c(t) \rangle = \langle c(0) \rangle e^{-\alpha |t|} = \langle x^2 \rangle e^{-\alpha |t|}$$

$$dx = -(x^2 + \lambda)dt + \sigma dB$$

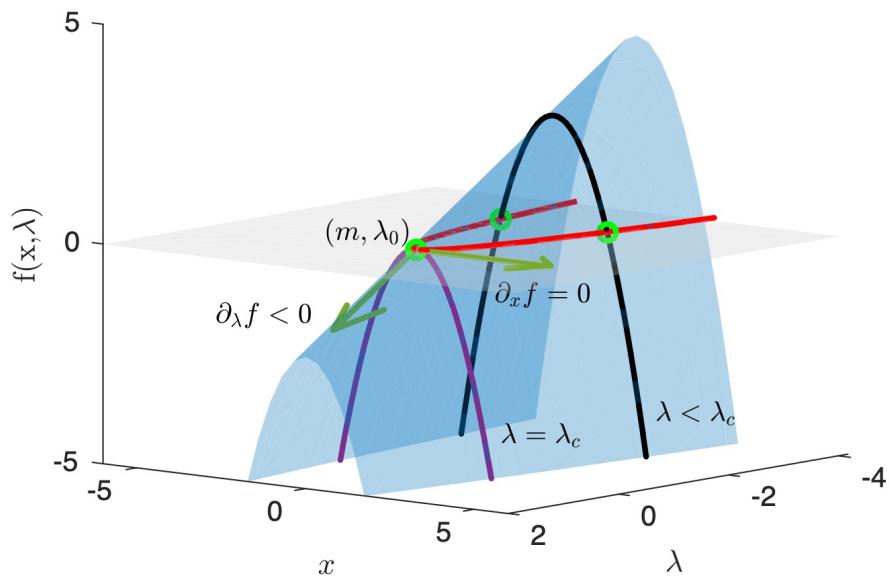
$$x_0 = \sqrt{-\lambda}$$

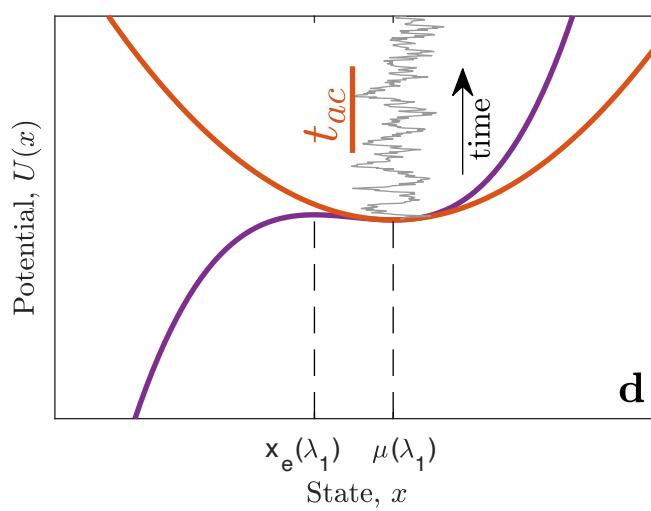
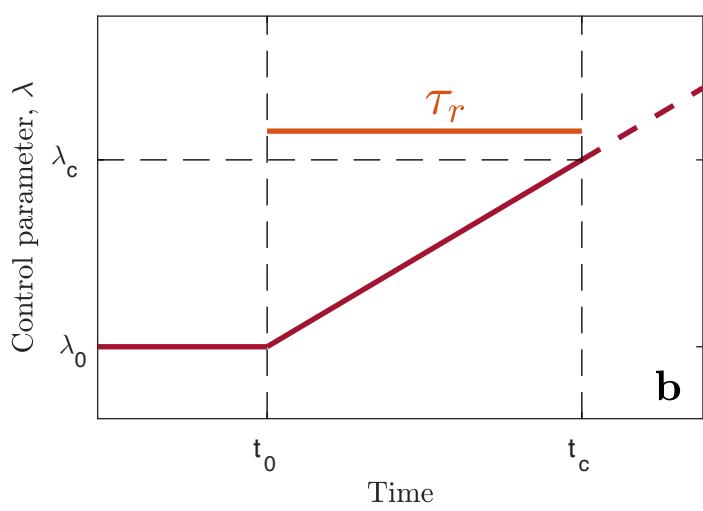
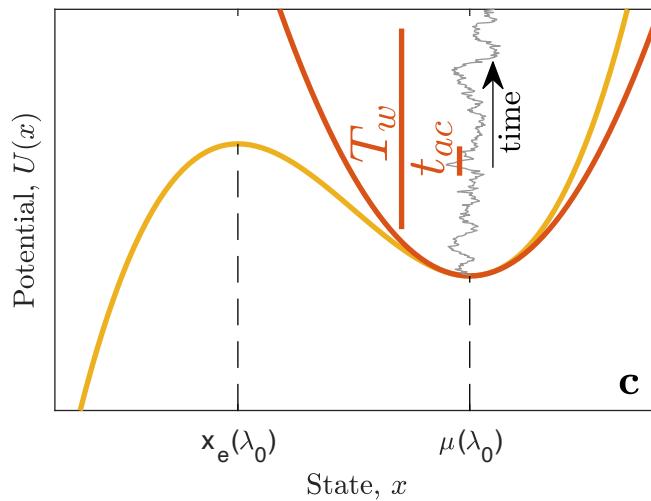
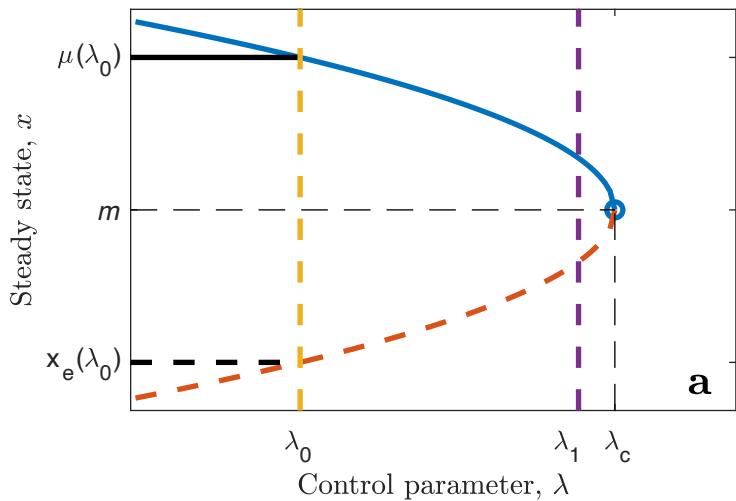
$$dx = -2\sqrt{-\lambda}xdt + \sigma dB$$

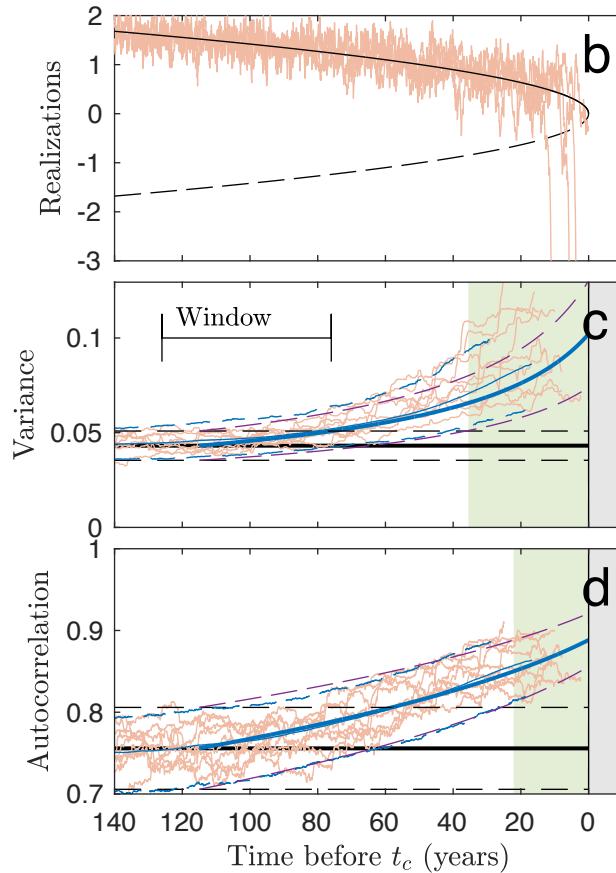
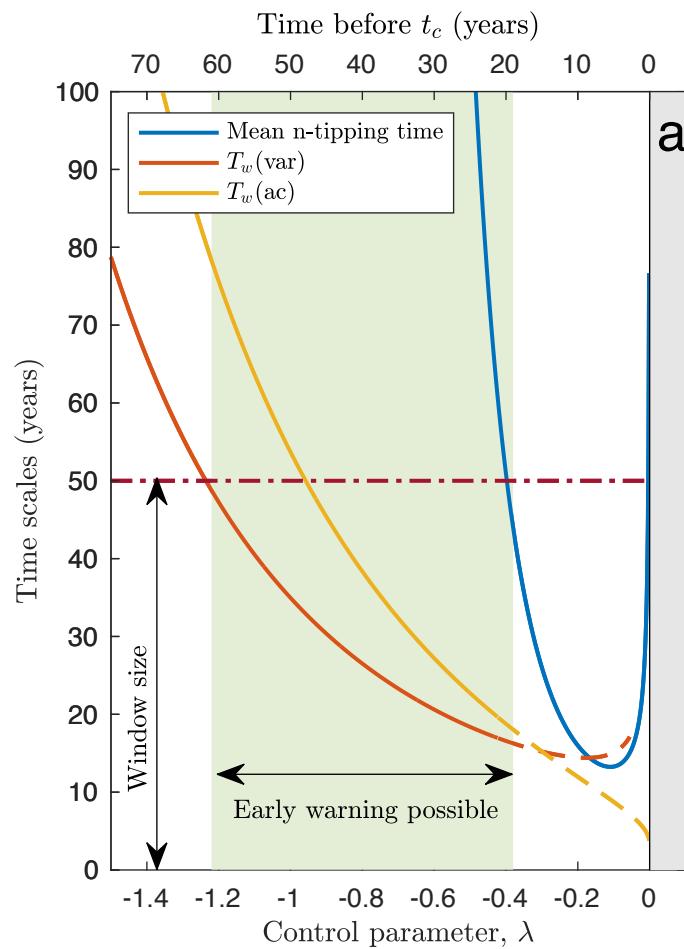
$$\alpha = 2\sqrt{-\lambda}$$

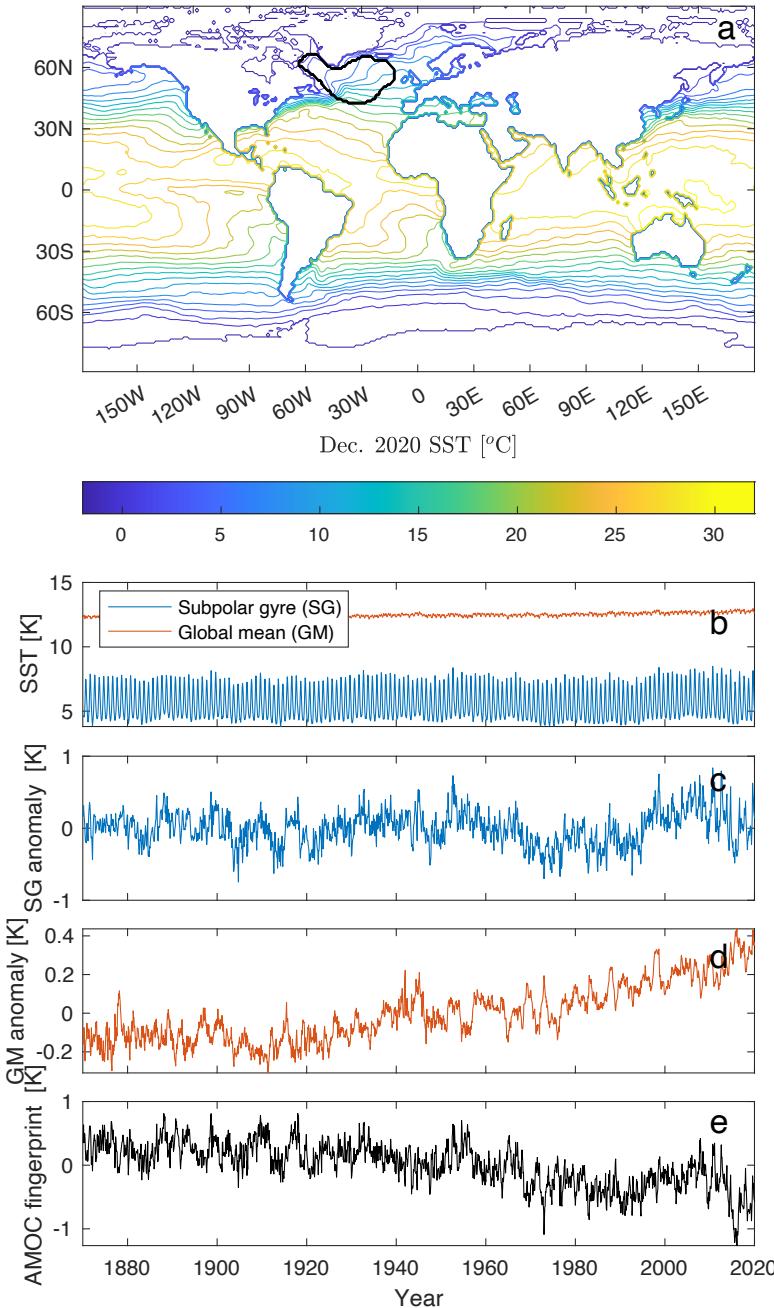
$$C(t) = C(0)e^{-\alpha|t|}$$

$$\langle x^2 \rangle = \frac{\sigma^2}{2\alpha}$$





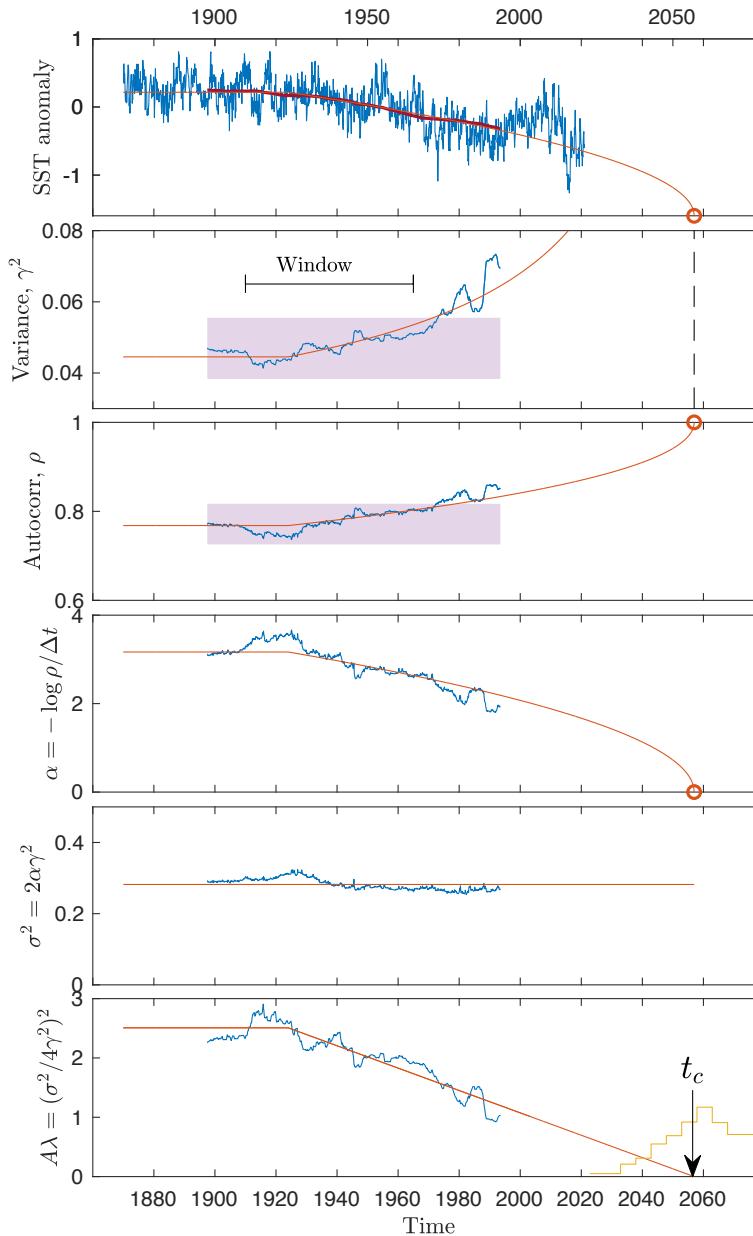




$$\alpha = 2\sqrt{-\lambda}$$

$$\langle x^2 \rangle = \frac{\sigma^2}{2\alpha}$$

$$C(t) = C(0)e^{-\alpha|t|}$$

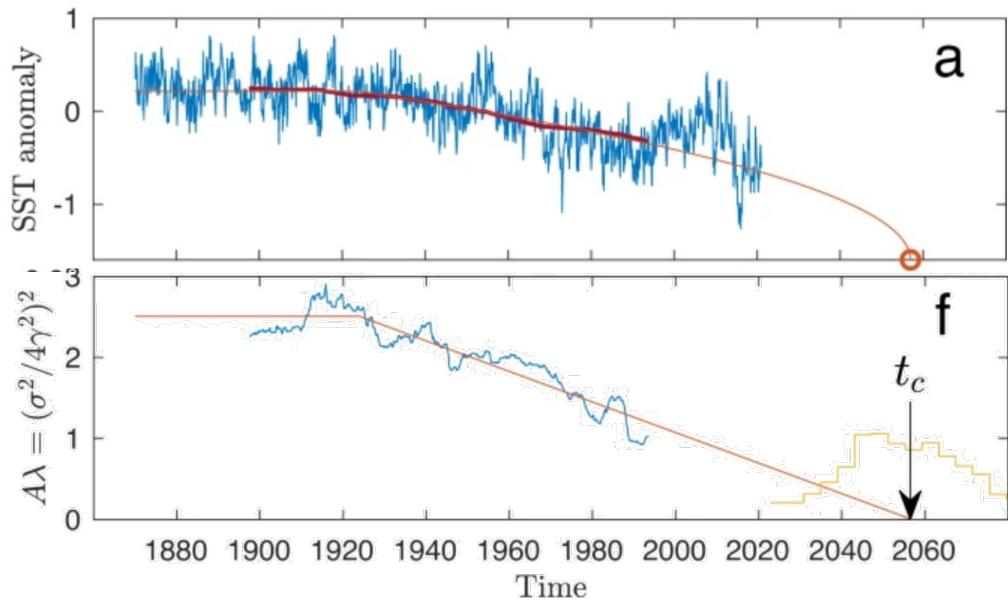
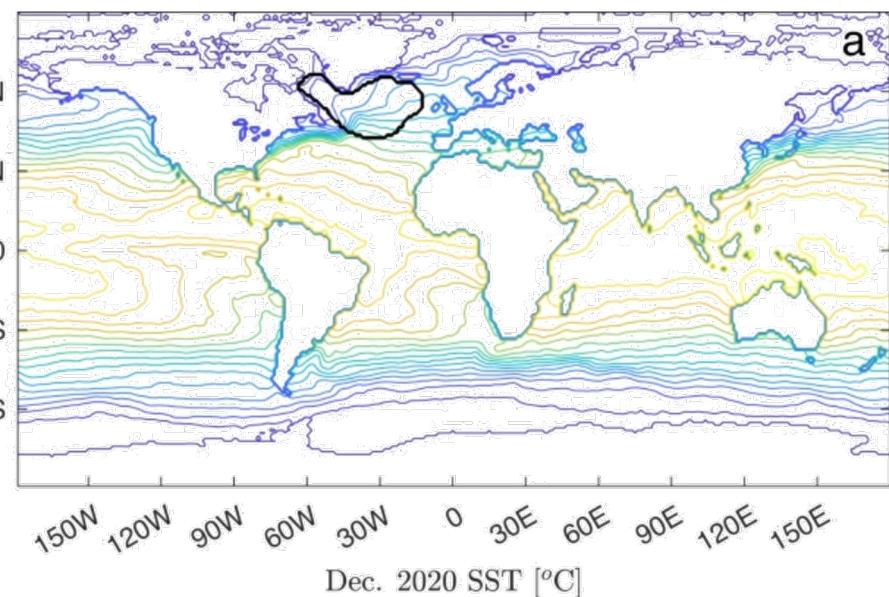


Warning of a forthcoming collapse of the Atlantic meridional overturning circulation

Peter Ditlevsen  & Susanne Ditlevsen 

Nature Communications 14, Article number: 4254 (2023) | [Cite this article](#)

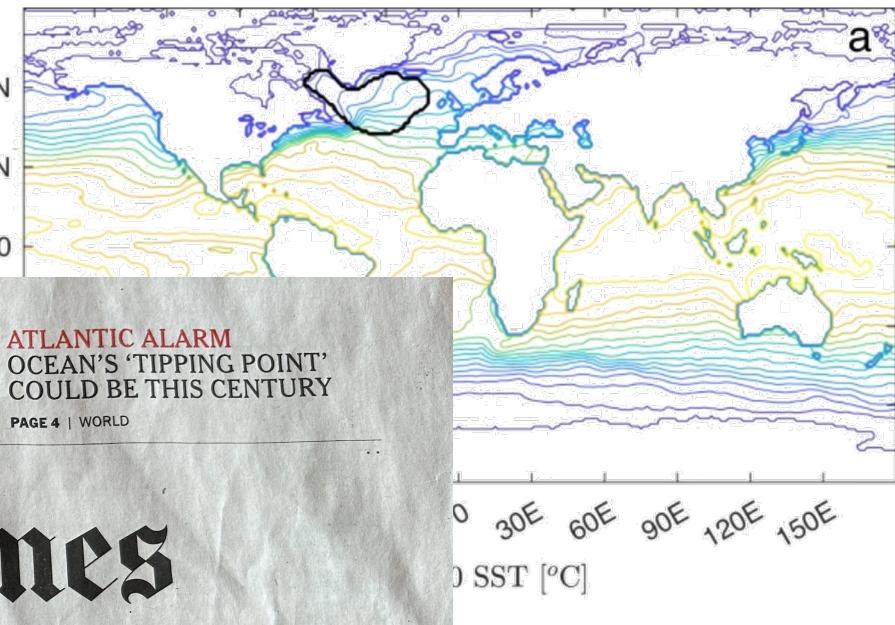
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Warning of a forthcoming collapse of the Atlantic meridional overturning circulation

Peter Ditlevsen  & Susanna Ditlevsen 

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By Sarah Kaplan

July 25, 2023 at 11:02 a.m. EDT

FINANCIAL TIMES

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